

# Inductor Design

Ferrite E cores and pot cores offer the advantages of decreased cost and low core losses at high frequencies. For switching regulators, power materials are recommended because of their temperature and DC bias characteristics. By adding air gaps to these ferrite shapes, the cores can be used efficiently while avoiding saturation.

These core selection procedures simplify the design of inductors for switching regulator applications. One can determine the smallest core size, assuming a winding factor of 50% and wire current carrying capacity of 500 circular mils per ampere.

Only two parameters of the design applications must be known:

- (a) Inductance required with DC bias
- (b) DC current

1. Compute the product of  $LI^2$  where:

- $L$  = inductance required with DC bias (millihenries)
- $I$  = maximum DC output current + 1/2 AC Ripple

2. Locate the  $LI^2$  value on the Ferrite Core Selector charts on the following page.

Follow this coordinate up to the intersection with the first core size curve. Read the maximum nominal inductance,  $A_L$ , on the Y-axis. This represents the smallest core size and maximum  $A_L$  at which saturation will be avoided.

3. Any core size line that intersects the  $LI^2$  coordinate represents a workable core for the inductor if the core's  $A_L$  value is less than the maximum value obtained on the chart.

4. Required inductance  $L$ , core size, and core nominal inductance ( $A_L$ ) are known. Calculate the number of turns using

$$N = 10^3 \sqrt{\frac{L}{A_L}}$$

where  $L$  is in millihenries.

5. Example: If  $I_{MAX} = 8$  Amps;  $L$ , inductance required = 100  $\mu$ Henries  
 $LI^2 = (0.100 \text{ mH}) \times (8^2 \text{ Amps}) = 6.4$  millijoules

6. There are many ferrite cores available that will support the energy required. Any core size that the  $LI^2$  coordinate intersects can be used at the  $A_L$  value shown on the chart.

7. Some choices based upon an  $LI^2$  value of 6.4 millijoules are:

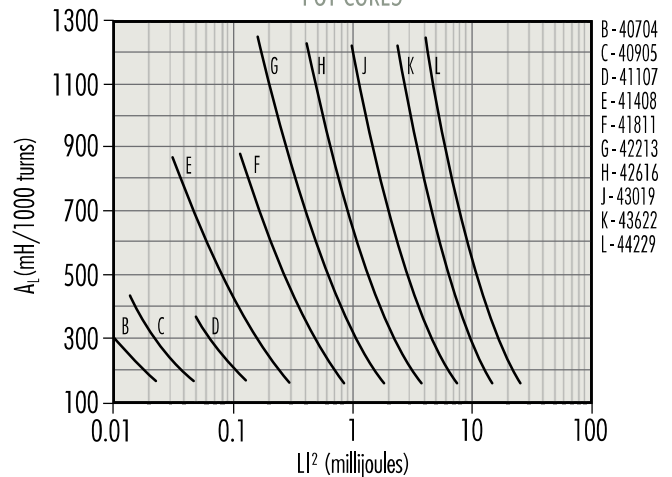
- Pot core 43622  $A_L = 400$       Double Slab 43622  $A_L = 250$
- PQ core 43220  $A_L = 300$       E core 44317  $A_L = 250$

8. For the following  $A_L$  values the number of turns required is:

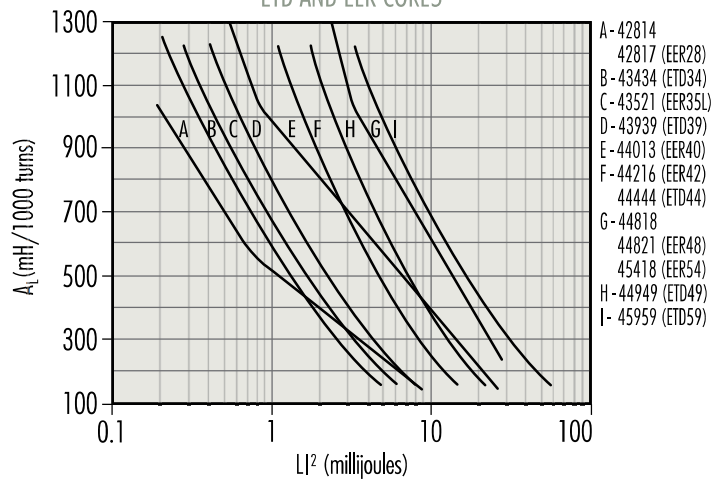
- $A_L = 400$ ,  $N = 16$        $A_L = 300$ ,  $N = 19$        $A_L = 250$ ,  $N = 20$

Make sure the wire size chosen will support the current and fit into the core set.

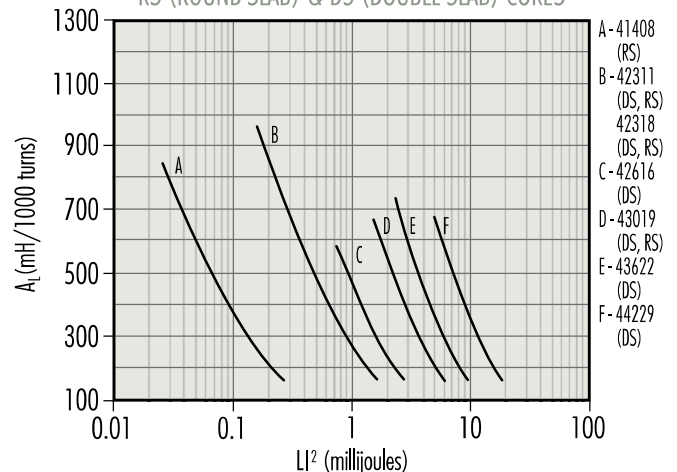
POT CORES



ETD AND EER CORES

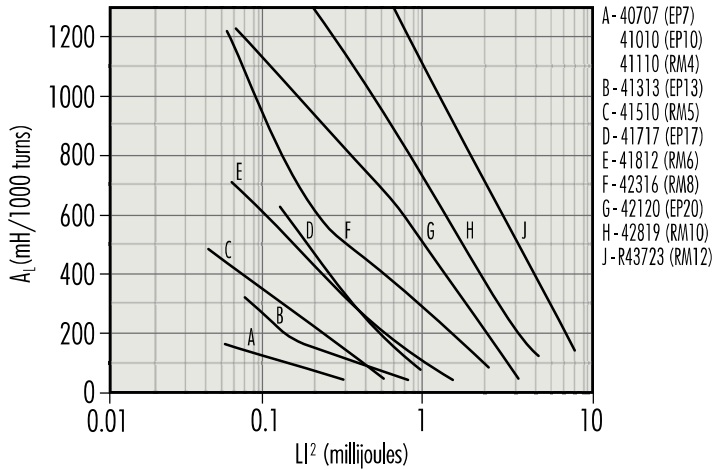


RS (ROUND-SLAB) & DS (DOUBLE-SLAB) CORES

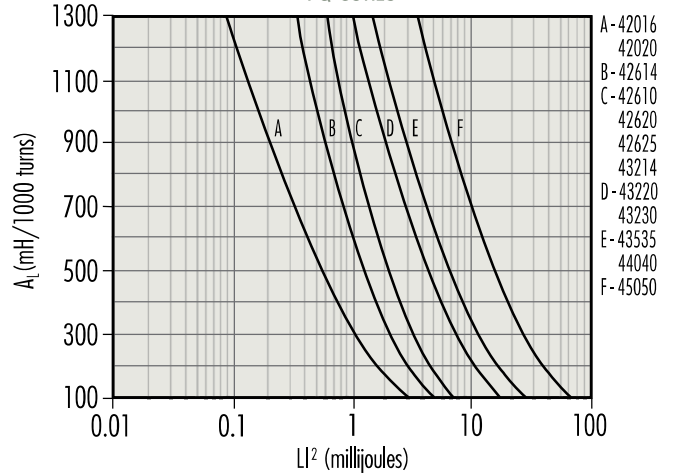


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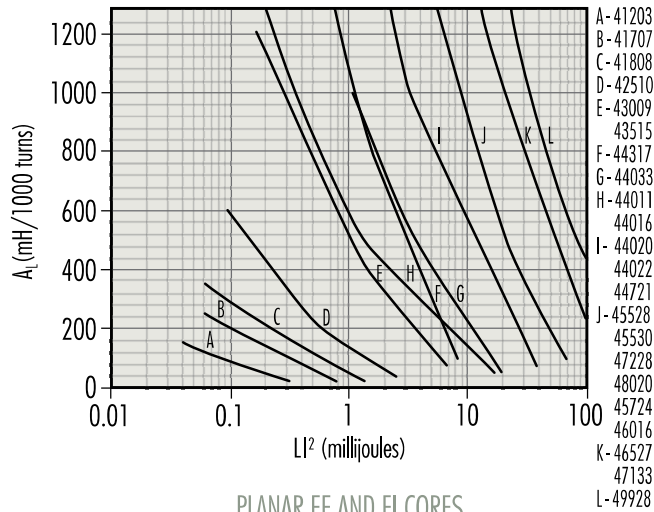
RM AND EP CORES



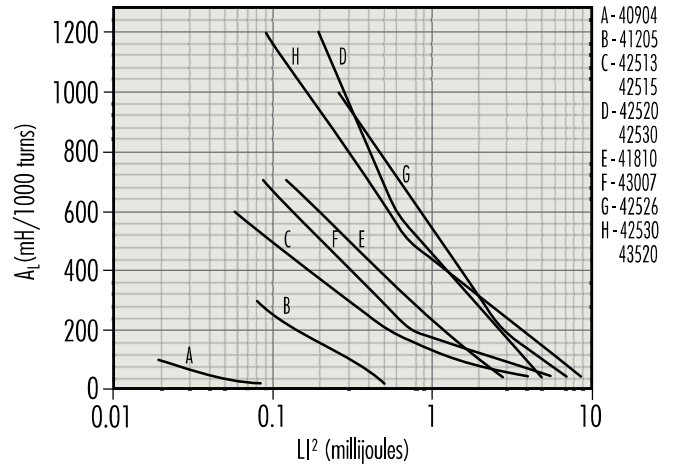
PQ CORES



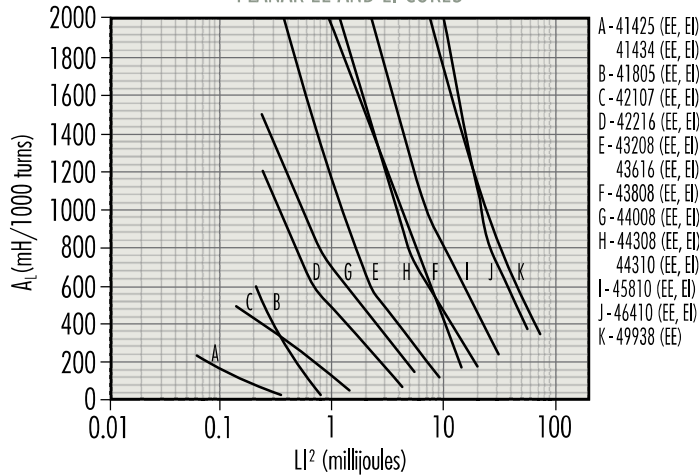
LAMINATION SIZE E CORES



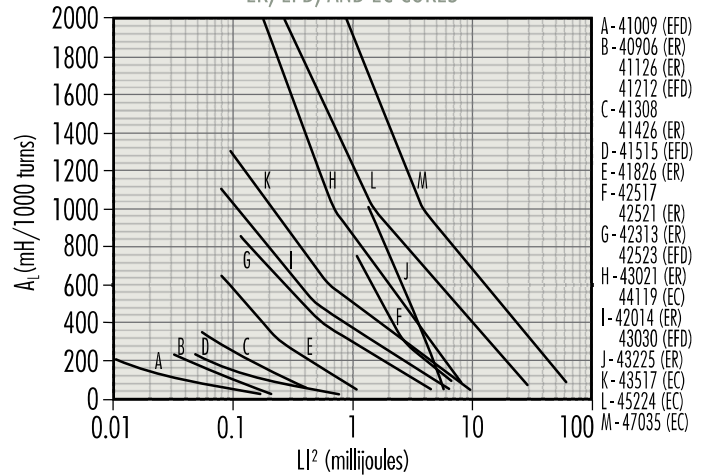
E CORES



PLANAR EE AND EI CORES

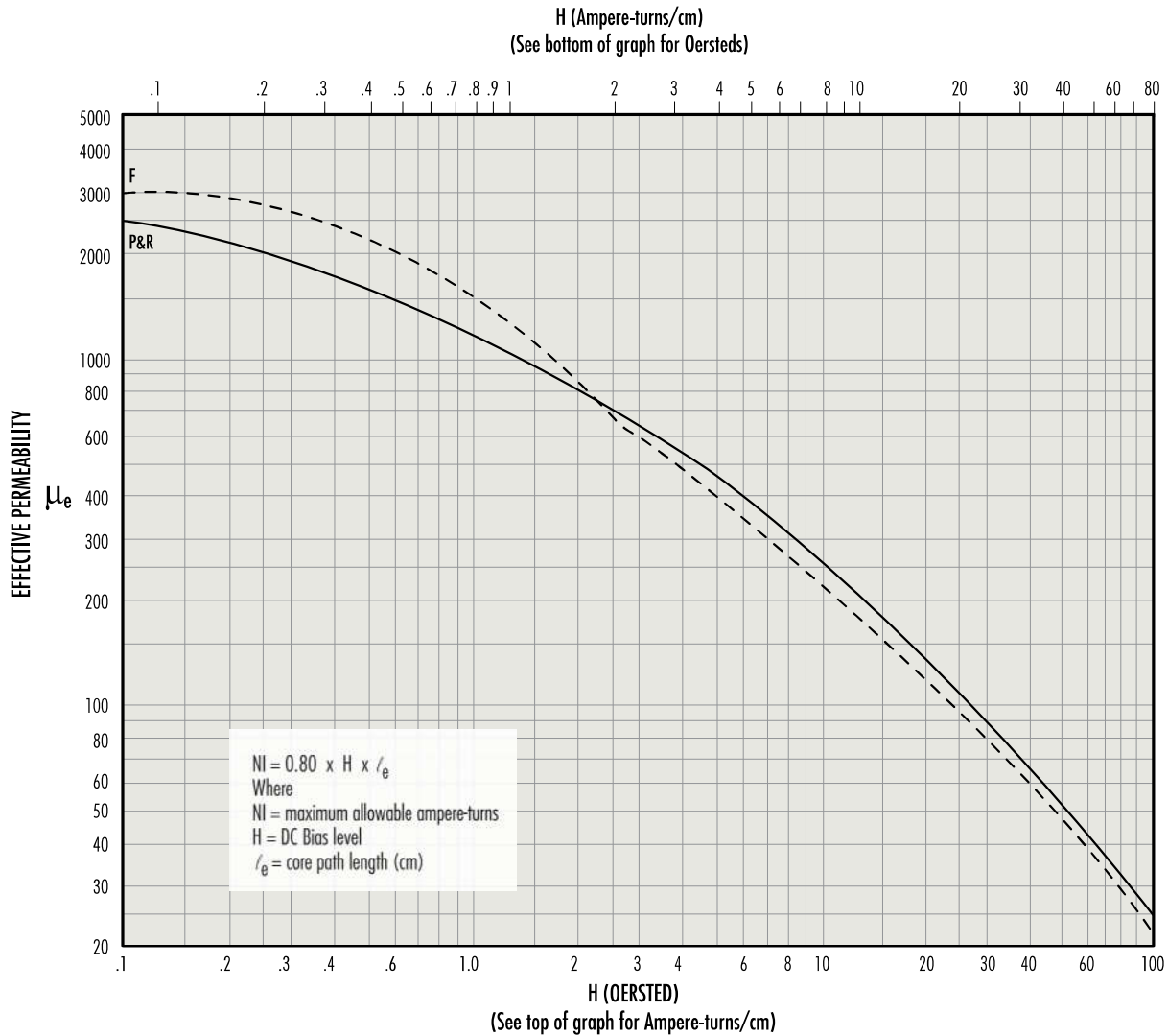


ER, EFD, AND EC CORES



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## DC BIAS DATA — FOR GAPPED APPLICATIONS



The above curves are limit curves, up to which *effective permeability* remains constant. They show the maximum allowable DC bias, in ampere-turns, without a reduction in inductance. Beyond this level (see insert), inductance drops rapidly.

Example: How many ampere-turns can be supported by an R42213A315 pot core without a reduction in inductance value?

$$l_e = 3.12 \text{ cm} \quad \mu_e = 125$$

Maximum allowable  $H = 25$  Oersted (from the graph above)

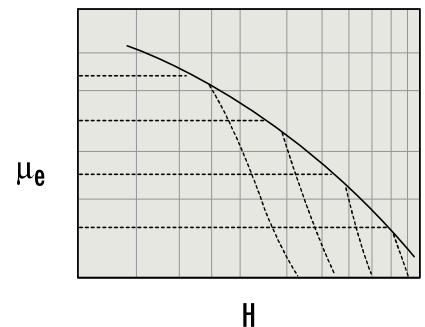
$NI$  (maximum) =  $0.80 \times H \times l_e = 62.4$  ampere-turns  
 or (Using top scale, maximum allowable  $H = 20$  A-T/cm.)

$$\begin{aligned}
 NI \text{ (maximum)} &= A \cdot T / \text{cm} \times l_e \\
 &= 20 \times 3.12 \\
 &= 62.4 \text{ A} \cdot T
 \end{aligned}$$

$$\mu_e = \frac{A_l \cdot l_e}{4 \pi A_e}$$

$$\frac{1}{\mu_e} = \frac{1}{\mu_i} + \frac{l_g}{l_e}$$

$A_e$  = effective cross sectional area (cm<sup>2</sup>)  
 $A_l$  = inductance/1,000 turns (mH)  
 $\mu_i$  = initial permeability  
 $l_g$  = gap length (cm)



Inductance falls off rapidly above the limit curve. The dashed lines illustrate the  $\mu_e$  curve for individual gapped core sets.